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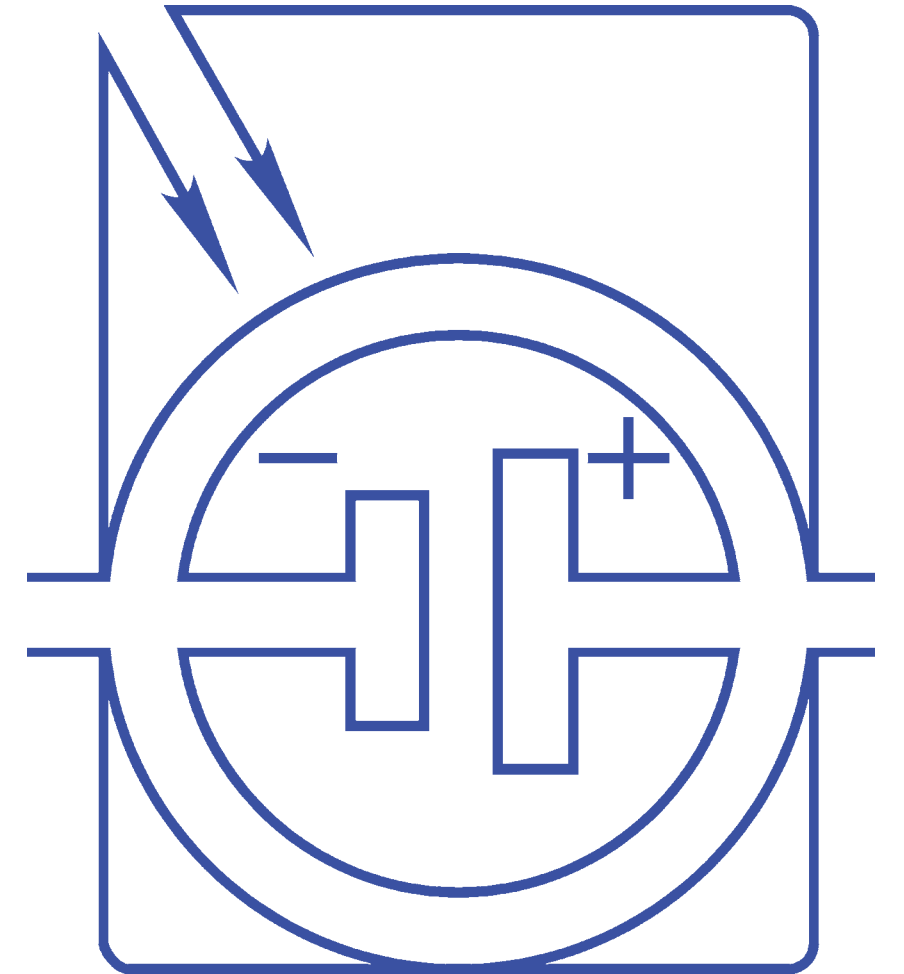


PHOTO ELECTRONICS

MINISTRY OF EDUCATION AND SCIENCE UKRAINE

Odesa I. I. Mechnikov National University

ФОТОЭЛЕКТРОНИКА

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The results of theoretical and experimental studies in problems of the semiconductor and micro-electronic devices physics, opto- and quantum electronics, quantum optics, spectroscopy and photophysics of nucleus, atoms, molecules and solids are presented in the issue. New directions in the photoelectronics, stimulated by problems of the super intense laser radiation interaction with nuclei, atomic systems and substance, are considered. Scientific articles «Photoelectronics» collection abstracted in ВИНІТИ and «Джерело».

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For lecturers, scientists, post-graduates and students.

У збірнику наведено результати теоретичних і експериментальних досліджень з питань фізики напівпровідників та мікроелектронних приладів, опти- та квантової електроніки, квантової оптики, спектроскопії та фотофізики ядра, атомів, молекул та твердих тіл. Розглянуто нові напрямки розвитку фотоелектроніки, пов'язані із задачами взаємодії надінтенсивного лазерного випромінювання з ядром, атомними системами, речовиною.

Збірник включено до Переліку спеціальних видань ВАК України з фізико-математичних та технічних наук.

Збірник реферується: Scientific Periodicals in National Library of Ukraine Vernadsky, Ukrainian Abstract Journal, Україніка наукова, ВИНІТИ, Джерело, Українські наукові журнали.

Для викладачів, наукових працівників, аспірантів, студентів.

В сборнике приведены результаты теоретических и экспериментальных исследований по вопросам физики полупроводников и микроэлектронных приборов, опти- и квантовой электроники, квантовой оптики, спектроскопии и фотофизики ядра, атомов, молекул и твердых тел. Рассмотрены новые направления развития фотоэлектроники, связанные с задачами взаимодействия сверхинтенсивного лазерного излучения с ядром, атомными системами, веществом.

Сборник включен в Список специальных изданий ВАК Украины по физико-математическим и техническим наукам. Сборник «Photoelectronics» реферируется в Scientific Periodicals in National Library of Ukraine Vernadsky, Ukrainian Abstract Journal, Україніка наукова, ВИНІТИ, Джерело, Українські наукові журнали.

Для преподавателей, научных работников, аспирантов, студентов.

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Glushkov A.V., Kovalchuk V.V., Sofronkov A.N., Svinarenko A.A.

Odesa State Environmental University, 15, Lvovskaya str., Odesa, 65016
E-mail: odeku.intsci@gmail.com

OPTIMIZED QUASIPARTICLE DENSITY FUNCTIONAL APPROACH FOR MULTIELECTRON ATOMIC SYSTEMS

We present the optimized version of the quasiparticle density functional theory (DFT), constructed on the principles of the Landau-Migdal Fermi-liquids theory and principles of the optimized one-quasiparticle representation in theory of multielectron systems. The master equations can be naturally obtained on the basis of variational principle, starting from a Lagrangian of an atomic system as a functional of three quasiparticle densities. These densities are similar to the Hartree-Fock (HF) electron density and kinetical energy density correspondingly, however the third density has no an analog in the Hartree-Fock or the standard DFT theory and appears as result of account for the energy dependence of the mass operator Σ . The elaborated approach to construction of the eigen-functions basis can be characterized as an improved one in comparison with similar basises of other one-particle representations, namely, in the HF, the standard Kohn-Sham approximations etc.

1. At present time a density functional theory (DFT) became by a powerful tool in studying the electron structure of different materials, including atomic and molecular systems, solids, semiconductors etc. [1-42]. A construction of the correct energy functionals of a density for multi-body systems represents very actual and important problem of the modern theory of semiconductors and solids, thermodynamics, statistical physics (including a theory of non-equilibrium thermodynamical processes), quantum mechanics and others.

In last time a development of formalism of the energy density functional has been considered in many papers (see [1-7]). Its application is indeed based on the two known theorems by Hohenbreg-Kohn ($\tau = 0$, where τ is a temperature) and Mermin ($\tau \neq 0$) [1,2]. According to these theorems, an energy and thermodynamical potential of the multi-body system are universal density functionals. Though these theorems predict an existence of such a density functional, however its practical realization is connected with a number of the significant difficulties (see [1-3,8-17]). The problem is complicated under consideration of the non-stationary tasks (the known theorem by Runge-Gross about 1-1 mapping between time-dependent densities and the external potentials [2]).

Let us remind some important results of the density functional theory. It should be mentioned a constructive approach to delivering optimal representations for an exact density functional [1,2,8-16], which has been used for generalization of the Hohenberg-Kohn theorem in order to get an effective density functional for large molecules. As alternative version one could consider a quasiparticle conception of Kohn-Sham and the Levi-Valone method [2,3]. In fact it has been done an attempt practically to realize an idea of the Hohenberg-Kohn theorem.

More advanced analogous approach with account of the multi-particle correlations is developed in ref. [8,17,18].

The quasiparticle Fermi-liquid version of the DFT has been earlier developed in Refs. [1-3,8,17] and based on the principles of the Landau-Migdal Fermi liquids theory. In refs. [4,5] it has been firstly developed a consistent relativistic quasiparticle theory of a density functional formalism and constructed an optimized one-quasiparticle representation in a theory of multi-electron systems. The lowest order multi-body effects, in particular, the gauge dependent radiative contribution for the certain class of the photon propagators calibration are treated in QED formulation and new density functional integral-differential equations are derived. The

minimal value of the gauge dependent radiative contribution is considered to be the typical representative of the multi-electron correlation effects, whose minimization is a reasonable criteria in the searching for the optimal QED perturbation theory one-electron basis. In this paper we present the optimized version of the quasiparticle DFT (a Fermi-liquid version of the DFT), based on the principles of the Landau-Migdal Fermi-liquids theory and performance of the gauge invariant principle.

The elaborated approach to construction of the eigen-functions basis can be characterized as an improved one in comparison with similar bases of other one-particle representations, namely, in the HF, the standard Kohn-Sham approximations [12-17] etc.

Below we present only the key points of the theory for multielectron atomic systems.

2. According to Refs. [1-5], the master equations can be obtained on the basis of variational principle, if we start from a Lagrangian of an atomic system L_q . It should be defined as a functional of quasiparticle densities:

$$\begin{aligned} v_0(r) &= \sum_{\lambda} n_{\lambda} |\Phi_{\lambda}(r)|^2, \\ v_1(r) &= \sum_{\lambda} n_{\lambda} |\nabla \Phi_{\lambda}(r)|^2, \\ v_2(r) &= \sum_{\lambda} n_{\lambda} [\Phi_{\lambda}^* \Phi_{\lambda} - \Phi_{\lambda}^* \Phi_{\lambda}]. \end{aligned} \quad (1)$$

The densities v_0 and v_1 are similar to the HF electron density and kinetical energy density correspondingly; the density v_2 has no an analog in the Hartree-Fock (HF) or the standard DFT theory and appears as result of account for the energy dependence of the mass operator Σ . The functions Φ_{λ} are the solutions of the master equations for multielectron atomic systems with a nuclear charge Z (in atomic units) as follows:

$$\begin{aligned} [p^2/2 - \sum_{\alpha} Z_{\alpha}/r_{\alpha} + \sum_0(x) + \\ p(\partial \sum / \partial p^2) p] \Phi_{\lambda}(x) = \\ (1 - \partial \sum / \partial \varepsilon) \varepsilon_{\lambda} \Phi_{\lambda}(x) \end{aligned} \quad (2)$$

The functions Φ_{λ} in (5) are orthogonal with a weight

$$\rho_k^{-1} = a^{-1} = [1 - \partial \sum / \partial \varepsilon]. \quad (3)$$

Now one can introduce the wave functions of the quasiparticles

$$\varphi_{\lambda} = a^{-1/2} \Phi_{\lambda}, \quad (4)$$

which are, as usually, orthogonal with weight 1. For complete definition of $\{\varphi_{\lambda}\}$ it should be determined the values $\sum_0, \partial \sum / \partial p^2, \partial \sum / \partial \varepsilon$.

A Lagrangian L_q can be written as a sum of a free Lagrangian and Lagrangian of interaction:

$$L_q = L_q^0 + L_q^{int}, \quad (5)$$

where a free Lagrangian L_q^0 has a standard form:

$$L_q^0 = \int dr \sum_{\lambda} n_{\lambda} \Phi_{\lambda}^* (i\partial / \partial t - \varepsilon_p) \Phi_{\lambda}, \quad (6)$$

The interaction Lagrangian is defined in the form, which is characteristic for a standard (Kohn-Sham) density functional theory (as a sum of the Coulomb and exchange-correlation terms), however, it takes into account for the energy dependence of a mass operator Σ :

$$L_q^{int} = L_K - \frac{1}{2} \sum_{i,k=0}^2 \int \beta_{ik} F(r_1, r_2) v_i(r_1) v_k(r_2) dr_1 dr_2 \quad (7)$$

where β_{ik} are some constants (look below), F is an effective potential of the exchange-correlation interaction

In the local density approximation in the density functional the potential F can be expressed through the exchange-correlation pseudo-potential V_{XC} as follows [1-5]:

$$F(r_1, r_2) = \delta V_{XC} / \delta v_0 \cdot \delta(r_1 - r_2). \quad (8)$$

According to ref. [1-4], one can get the following expressions for $\sum_i = -\delta L_q^{int} / \delta v_1$:

$$\begin{aligned}
\sum_0 &= (1 - \sum_e) V_K + \sum_0^{ex} + \\
&\frac{1}{2} \beta_{00} \delta^2 V_{XC} / \delta v^2 \cdot v_0^2 + \beta_{00} \delta V_{XC} / \delta v_0 \cdot v_0 + \\
&+ \beta_{01} \delta V_{XC} / \delta v_0 \cdot v_1 + \beta_{01} \delta^2 V_{XC} / \delta v_0^2 \cdot v_0 v_1 + \\
&\beta_{02} \delta^2 V_{XC} / \delta v_0^2 \cdot v_0 v_2 + \beta_{02} \delta V_{XC} / \delta v_0 \cdot v_2 \\
\sum_1 &= \beta_{01} \delta V_{XC} / \delta v_0 \cdot v_0 + \\
&+ \beta_{12} \delta V_{XC} / \delta v_0 \cdot v_2 + \beta_{11} \delta V_{XC} / \delta v_0 \cdot v_1; \\
\sum_2 &= \beta_{02} \delta V_{XC} / \delta v_0 \cdot v_0 + \\
&+ \beta_{12} \delta V_{XC} / \delta v_0 \cdot v_1 + \beta_{22} \delta V_{XC} / \delta v_0 \cdot v_2; \tag{9}
\end{aligned}$$

Here V_K is the Coulomb term (look above), \sum_0^{ex} is the exchange term. Using the known canonical relationship:

$$H_q = \Phi_\lambda^* \delta L_q / \delta \Phi_\lambda^* + \Phi_\lambda \delta L_q / \delta \Phi_\lambda - L_q \tag{10}$$

after some transformations one can receive the expression for the quasiparticle Hamiltonian, which is corresponding to a Lagrangian L_q :

$$\begin{aligned}
H_q &= H_q^0 + H_q^{int} = H_q^0 - L_K + \\
&+ \frac{1}{2} \beta_{00} \delta V_{XC} / \delta v_0 \cdot v_0^2 + \\
&+ \beta_{01} \delta V_{XC} / \delta v_0 \cdot v_0 \cdot v_1 + \tag{11} \\
&\frac{1}{2} \beta_{11} \delta V_{XC} / \delta v_0 \cdot v_1^2 - \\
&- \frac{1}{2} \beta_{22} \delta V_{XC} / \delta v_0 \cdot v_2^2
\end{aligned}$$

It is obvious that omitting the energy dependence of the mass operator (i.e. supposing $\beta_{02} = 0$) the quasiparticle density functional theory can be resulted in the standard Kohn-Sham theory.

Further let us give the corresponding comments regarding the constants β_{ik} . Without a detailed explanation, we note here that the corresponding constants in our theory approximately possess the same universality as ones in the Landau Fermi-liquid theory and Migdal finite Fermi-systems theory. Though it is well known that the entire universality is absent. First of all, it is obvious that the terms with constants $\beta_{01}, \beta_{11}, \beta_{12}, \beta_{22}$ give omitted contribution to the energy functional (at least in the zeroth approximation in comparison with others), so they can be equal to zero in the simple approximation. The value for a constant β_{00} in some degree is dependent upon the definition of the potential V_{XC} . If as V_{XC} it is use one of the correct exchange-correlation potentials from the standard density functional theory, then without losing a community of statement, the constant β_{00} can be equal to 1. The constant β_{02} can be in principle calculated by analytical way, but it is very useful to remember its connection with a spectroscopic factor F_{sp} of atomic or molecular system (it is usually defined from the ionization cross-sections) [5]:

$$F_{sp} = \left\{ 1 - \frac{\partial}{\partial \epsilon} \sum_{kk} [-(I.P.)_k] \right\} \tag{12}$$

where I.P. is a ionization potential. It is easily to understand the this definition is in fact corresponding to the pole strength of the corresponding Green's function [62]. The simple approximation for the I.P. is as follows [2-4]:

$$(I.P.)_k = -(\epsilon_k + F_k), \tag{13}$$

$$F_k = \sum_{kk} (-(I.P.)_k) \approx \frac{1}{1 - \partial \sum_{kk} (\epsilon_k) / \partial \epsilon} \sum_{kk} (\epsilon_k) \tag{14}$$

It is well known that can be determined by the following standard expression (in the second order of the perturbation theory):

$$\sum_{kk}^{(2)}(\epsilon) = \sum_{\substack{i,j \\ s \notin F}} \frac{(V_{ksij} - V_{ksji})V_{ksij}}{\epsilon + \epsilon_s - \epsilon_i - \epsilon_j} + \sum_{\substack{i,j \\ s \notin F}} \frac{(V_{ksij} - V_{ksji})V_{ksij}}{\epsilon + \epsilon_s - \epsilon_i - \epsilon_j} \quad (15)$$

Other details can be found in Refs. [1-10]).

3. As application of the quasiparticle theory we present the estimates for the atomic spectroscopic factors. Using the above written formula, one can simply define the values (3)-(12) one could the quantity (12). In the concrete calculation as potential V_{XC} we use the exchange-correlation pseudo-potential which contains the correlation (Gunnarsson-Lundqvist) potential and relativistic exchanger Kohn-Sham one [4,5].

As example in table 1 we present our calculational data for spectroscopic factors of some atoms.

Table 1. Spectroscopic factors of the external ns^2 shells of some atoms and ions

Atom, ion	N	F _{sp}	Atom, ion	n	F _{sp}
Ar	3	0.58	As	6	0.30
Exp.	3	0.56	As ⁻	6	0.31
RPA	3	0.70	Rn	6	0.29
TI ^(IV)	3	0.60	Fr ⁺	6	0.28
Xe	6	0.36	Fr	6	0.28
TI	6	0.36	Ra	7	0.43
Pb	6	0.34	Ac	7	0.42
Bi	6	0.33	Th	7	0.42
Po ⁺	6	0.31	Pa	7	0.42
Po	6	0.31	U	7	0.42

There are also listed for the argon atom the experimental value of the spectroscopic factor and the value, obtained in the random phase approximation (RPA) with exchange. It should be noted that the Hartree-Fock theory gives the value of 1. In conclusion let us remind that the presented approach to definition of the functions basis $\{\Phi_\lambda\}$ of a Hamiltonian H_q can be treated as an improved in comparison with similar bases of other one-particle representations (for example, the HF, the Hatree-Fock-Slater, the standard Kohn-Sham approximations etc.). Naturally, this advancement can be manifested during

studying those properties of the multi-electron systems, when an accurate account for the complex exchange-correlation effects, including the continuum pressure, energy dependence of a mass operator etc, is critically important [28-40].

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Glushkov A.V., Kovalchuk V.V., Sofronkov A.N., Svinarenko A.A.

OPTIMIZED QUASIPARTICLE DENSITY FUNCTIONAL APPROACH FOR MULTIELECTRON ATOMIC SYSTEMS

Summary. We present the optimized version of the quasiparticle density functional theory (DFT), constructed on the principles of the Landau-Migdal Fermi-liquids theory and principles of the optimized one-quasiparticle representation in theory of multielectron systems. The master equations can be naturally obtained on the basis of variational principle, starting from a Lagrangian of an atomic system as a functional of three quasiparticle densities. These densities are similar to the Hartree-Fock (HF) electron density and kinetical energy density correspondingly, however the third density has no an analog in the Hartree-Fock or the standard DFT theory and appears as result of account for the energy dependence of the mass operator Σ . The elaborated approach to construction of the eigen-functions basis can be characterized as an improved one in comparison with similar bases of other one-particle representations, namely, in the HF, the standard Kohn-Sham approximations etc.

Key words: quasiparticle density functional theory, exchange-correlation corrections

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Глушков А.В., Ковальчук В.В., Софронков А.Н., Свиначенко А.А.

ОПТИМИЗИРОВАННАЯ КВАЗИЧАСТИЧНАЯ ТЕОРИЯ ФУНКЦИОНАЛА ПЛОТНОСТИ ДЛЯ МНОГОЭЛЕКТРОННЫХ АТОМНЫХ СИСТЕМ

Резюме. Представлена оптимизированная версия квазичастичной теории функционала плотности (ТФП), построенная на принципах теории ферми-жидкости Ландау-Мигдала и введении оптимального одноквазичастичного представления в теории многоэлектронных систем. Основные уравнения могут быть естественно получены на основе вариационного принципа, исходя из лагранжиана атомной системы, представленного в виде функционала трех квазичастичных плотностей. Последние аналогичны стандартным электронной плотности Хартри-Фока (ХФ) и плотности кинетической энергии; однако третья плотность не имеет аналога в теории ХФ или стандартной ТФП и появляется как результат учета энергетической зависимости массового оператора квазичастиц. Разработанный подход к построению базиса собственных функций представляется более эффективным в сравнении с аналогичными базисами других одночастичных представлений, в частности, в приближениях ХФ или стандартном приближении Кона-Шэма и др.

Ключевые слова: квазичастичная теория функционала плотности, обменно-корреляционные поправки

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Глушков О.В., Ковальчук В.В., Софронков О.Н., Свиначенко А.А.

ОПТИМІЗОВАНА КВАЗІЧАСТИНКОВА ТЕОРІЯ ФУНКЦІОНАЛА ГУСТИНИ ДЛЯ БАГАТОЕЛЕКТРОННИХ АТОМНИХ СИСТЕМ

Резюме. Представлена оптимізована версія квазічастинкової теорії функціонала густини (ТФГ), побудованої на принципах теорії фермі-рідини Ландау-Мігдала і введенні оптимального одноквазічастинкового уявлення в теорії багатоелектронних систем. Основні рівняння теорії можуть бути природно отримані на основі варіаційного принципу, виходячи з лагранжіану атомної системи, представленого у вигляді функціоналу трьох квазічастинкових густин. Останні аналогічні стандартним електронній густині Хартрі-Фока (ХФ) і густині кінетичної енергії; однак, третя густина не має аналога в теорії ХФ або стандартній ТФГ і з'являється як результат урахування енергетичної залежності масового оператора квазічастинки. Розроблений підхід до побудови базису власних функцій видається більш ефективним у порівнянні з аналогічними базисами інших одночасткових уявлень, зокрема, в наближеннях ХФ або стандартному наближенні Кона-Шема і ін.

Ключові слова: квазічастинкова теорія функціоналу густини, обмінно-кореляційні поправки

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65082, м. Одеса, вул. Єлісаветинська, 12, Україна
Тел.: (048) 723 28 39, e-mail: druk@onu.edu.ua